

734a F2F Notes 6/24/05 8:47 AM

Numerical Data

Averages = measures of central tendency:

AU - analysis unit - items of subject -

eg., 1 student in the ET program

sample = subgroup of population/ET program

(most good national are 1100 sample size)

population = every student in the ET program (70-90% doesn't require generalization)

mean - add then up/divide by the items

| | Population | Sample |
|--------------------|------------|---------------------------------|
| Mean | μ | \bar{X} (with a line over it) |
| Standard Deviation | σ | S |
| Size | N | n |
| An observation | X | x |

Sample mean \bar{x} (w/ -) = $\frac{\sum x}{n}$

Population mean μ = $\frac{\sum x}{N}$

$$\frac{n+1}{2} \quad \frac{18+1}{2} = 9.5\text{th}$$

(split the difference)

median - positional number (eg., prices of house) in the middle - line then up and it's right in the middle

mode - is the number that shows up the most often

range is the difference between the highest and lowest number: eg., 17 is top, 1 is lowest, therefore

$$17-1=16$$

variation - how far everyone is from the middle

dispersion - how far everyone is dispersed from the middle

percentile - how many are at your level and below (based on 100 units); (based on 10 = decile; cut into 4 pieces = quartile)

best way to show variation is with the quartile - groups of fours

17

17

17

> 16.5

16 $Q3 = 3(n+1) = 13.5\text{th}$

| | | |
|---|--|--|
| | 15 | 4 |
| | 14 | ----- middle 50% (from 3rd to 1st Quartile) |
| ○ | 14 | |
| | > 12 | $\frac{n+1}{2} = \frac{17+1}{2} = 9$ th - median or second quartile (Q2) |
| | 10 | 2 2 |
| | 10 | |
| | 10 | \ InterQuartile Range (IQR) the range of the MIDDLE percent of the data |
| | 10 | |
| | > 10 | Q1 = 1st quartile $\frac{n+1}{4} = \frac{17+1}{4} = 4.5$ th |
| | 10 | 4 4 |
| | 9 | |
| | 5 | |
| | 1 | |
| | 5 - number summary | |
| | Low Q1 Q2 Q3 high | |
| | 1 10 12 16.5 450 | |
| | IQR = Q3 - Q1 | |
| | 16.5 - 10 = 6.5 | |
| | Box & whiskers chart: | |
| ○ | | |
| | skew is counter intuitive - | |
| | mean = # in the middle | |
| | standard deviation - how big steps are from the mean | |
| | | |
| | example: 18 complaints - SD = 4 | |
| | Probability that on any given day: | |
| | a) less than 14 complaints: 15.86% | |
| ○ | b) between 10 - 22 complaints: 81.85% | |
| | c) more than 26 complaints: 2.27% | |
| | d) between 14 and 22 complaints: 68.26% | |

e) between 10 and 14 complaints: 13.59%

f) more than 22 complaints: 15.86%

using the software:

is the data normally distributed - check first two tests - if not normally distributed check "skewness"

number - negative number = negative skew

Kurtosis = measures "peaked" ness - more peak - more kurtosis -

ways to determine the normality

C.V. = coefficient of variation - relative measure simply to compare one data set to another

sampling distribution of the means....

plot all the sample means their distribution will be "normal" and their means = population means and their

standard deviation will be σ/\sqrt{n}

example: average age of pep undergrads

n (sample) = 30

\bar{x} w/ line over it (mean) = 21

sigma (sd) = 2